

<b>Course code</b>																																	
<b>Type and description</b>	EC																																
<b>ECTS credit</b>	1																																
<b>Course name</b>	Advanced topological fixed point theory																																
<b>Course name in Polish</b>	Zaawansowana topologiczna teoria punktów stałych																																
<b>Language of instruction</b>	English																																
<b>Course level</b>	8 PRK																																
<b>Course coordinator</b>	Wojciech Kryszewski																																
<b>Course instructors</b>	Wojciech Kryszewski																																
<b>Delivery methods and course duration</b>	<table border="1"> <thead> <tr> <th></th> <th>Lecture</th> <th>Tutorials</th> <th>Laboratory</th> <th>Project</th> <th>Seminar</th> <th>Other</th> <th>Total of teaching hours during semester</th> </tr> </thead> <tbody> <tr> <td>Contact hours</td> <td>0</td> <td>0</td> <td>0</td> <td>15</td> <td>0</td> <td>0</td> <td>15</td> </tr> <tr> <td>E-learning</td> <td>No</td> <td>No</td> <td>No</td> <td>No</td> <td>No</td> <td>No</td> <td></td> </tr> <tr> <td>Assessment criteria (weightage)</td> <td>0,00</td> <td></td> <td></td> <td></td> <td></td> <td>0,00</td> <td></td> </tr> </tbody> </table>		Lecture	Tutorials	Laboratory	Project	Seminar	Other	Total of teaching hours during semester	Contact hours	0	0	0	15	0	0	15	E-learning	No	No	No	No	No	No		Assessment criteria (weightage)	0,00					0,00	
	Lecture	Tutorials	Laboratory	Project	Seminar	Other	Total of teaching hours during semester																										
Contact hours	0	0	0	15	0	0	15																										
E-learning	No	No	No	No	No	No																											
Assessment criteria (weightage)	0,00					0,00																											
<b>Course objective</b>	<p>1. Acquisition of knowledge of basic notions in topological fixed point theory; absolute neighborhood retracts.</p> <p>2. Acquisition of knowledge about the general Schauder fixed point theorem on absolute neighborhood retracts and its applications.</p> <p>3. Acquisition of knowledge about the Hopf-Lefschetz theorem and its role</p>																																
<b>Learning outcomes</b>	<p>After the course a PhD student is able to:</p> <p>1. understands and applies the basic notions of the topological fixed point theory – effects W4, U4, K1</p> <p>2. knows and is able to apply the general fixed point theorem of Schauder – effects W4, U4, K1</p> <p>3. knows the Hopf-Lefschetz fixed point theorem and its role - efekty W4, U4, K1</p>																																
<b>Assessment methods</b>	<p>Effects W4, U4, K1 – oral examination and presentation</p> <p>The final evaluation is based on:</p> <p>Exam - 80%</p> <p>Presentation - 20%</p>																																

<b>Prerequisites</b>	Master degree course in analysis and topology
<b>Course content with delivery methods</b>	<p>Lecture</p> <ol style="list-style-type: none"> <li>1. Absolute neighborhood retracts and extensors; axiomatic approach to the singular homology theory..</li> <li>2. General Schauder theorem for maps of absolute neighborhood retracts and its application e.g. in integral equations.</li> <li>3. The Lefschetz fixed point theorem on polyhedra and on absolute neighborhood retracts; the Leray-Lefschetz formalism.</li> </ol> <p>Presentation</p> <ol style="list-style-type: none"> <li>1. An example of application of the general Schauder theorem in partial differential equations</li> <li>2. Fixed point index of maps of absolute neighborhood retracts.</li> </ol>
<b>Basic reference materials</b>	<ol style="list-style-type: none"> <li>1. Andrzej Granas, Fixed Point Theory, Springer 2003</li> <li>2. Robert Brown, The Lefschetz Fixed Point Theorem, Scott-Foresman 1971.</li> </ol>
<b>Other reference materials</b>	
<b>Average student workload outside classroom</b>	10 h
<b>Comments</b>	
<b>Last update</b>	11.05.2023